

ASM focus effects on its focal plane

Xianyu Zhang, February 15, 2023 v1.0

Based on the gaussian imaging equation and geometry, we have:

$$v = Ru / (2u - R)$$

$$s = R - \sqrt{R^2 - d^2}$$

where:

v is pathlength from secondary to focus (13.71369m);

u is the distance from M1 focus to M2 (1.0636900000000011m);

R is the radius of curvature of M2 (1.9742416143417358m);

s is the sag of the spherical M2 surface (0.0527317m);

d is half the diameter of M2 (0.4721431m).

then we can derive the following equations:

$$\Delta v = 2u^2 / (2u - R)^2 \cdot \Delta R = v_c \cdot \Delta R;$$

$$\Delta s = (1 - R \sqrt{R^2 - d^2}^{-0.5}) \cdot \Delta R = s_c \cdot \Delta R;$$

with the given values, we can get:

$$v_c = 96.492287$$

$$s_c = -0.029884934$$

$$\text{Finally: } \Delta v = v_c / s_c \cdot \Delta s = -3228.79 \cdot \Delta s$$

the ratio between the PV of focal wavefront on the M2 and its far focal plane changes is -3229 (about -3000), which means about 100nm in PV focus on M2, corresponding about -0.3mm focal plane movement

With the current SX ASM configuration, the force and command distribution with commanded 100nm PV are shown below:

